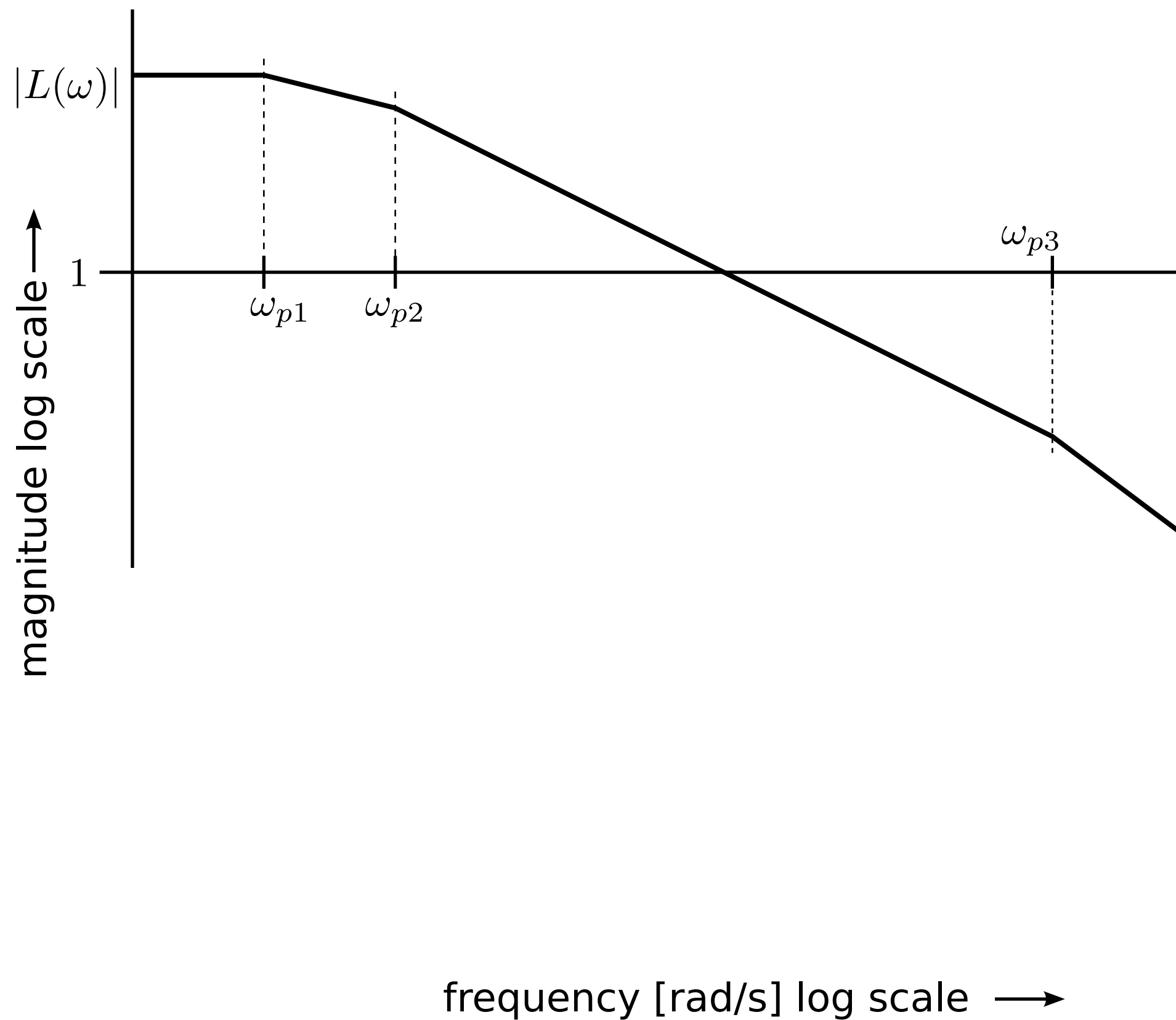


# Structured Electronic Design

## Dominant and non-dominant poles in feedback systems

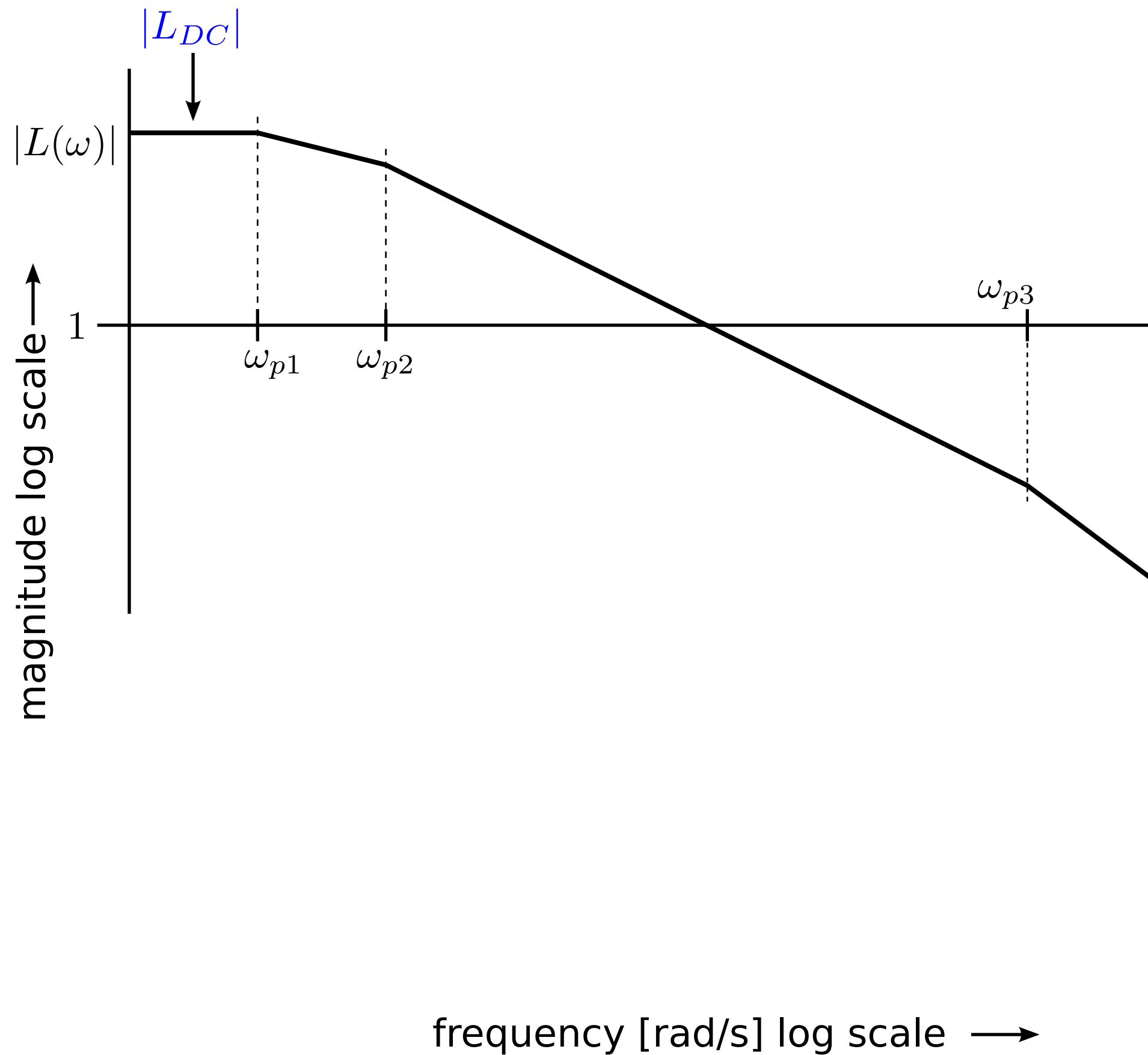
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$

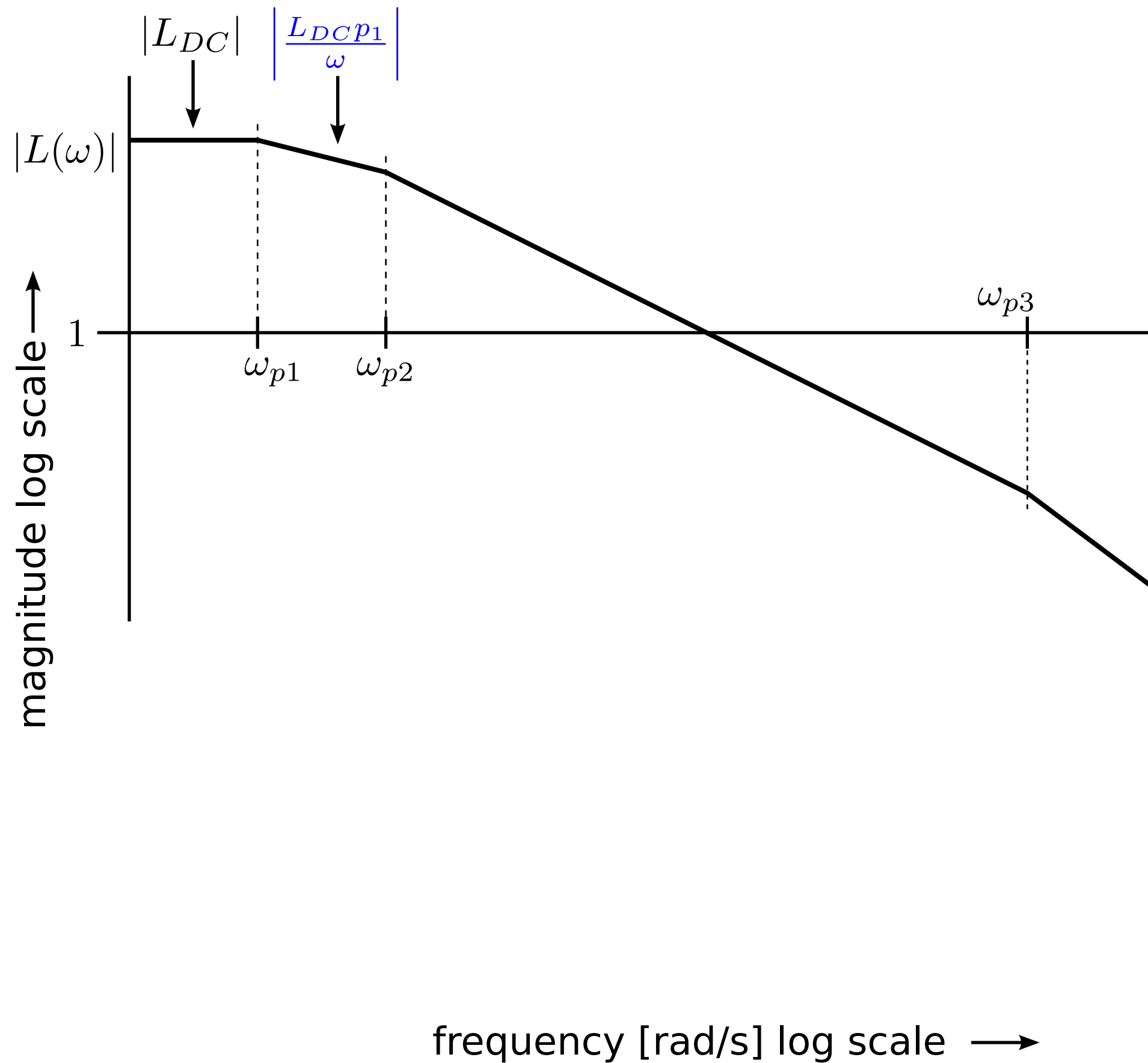
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$

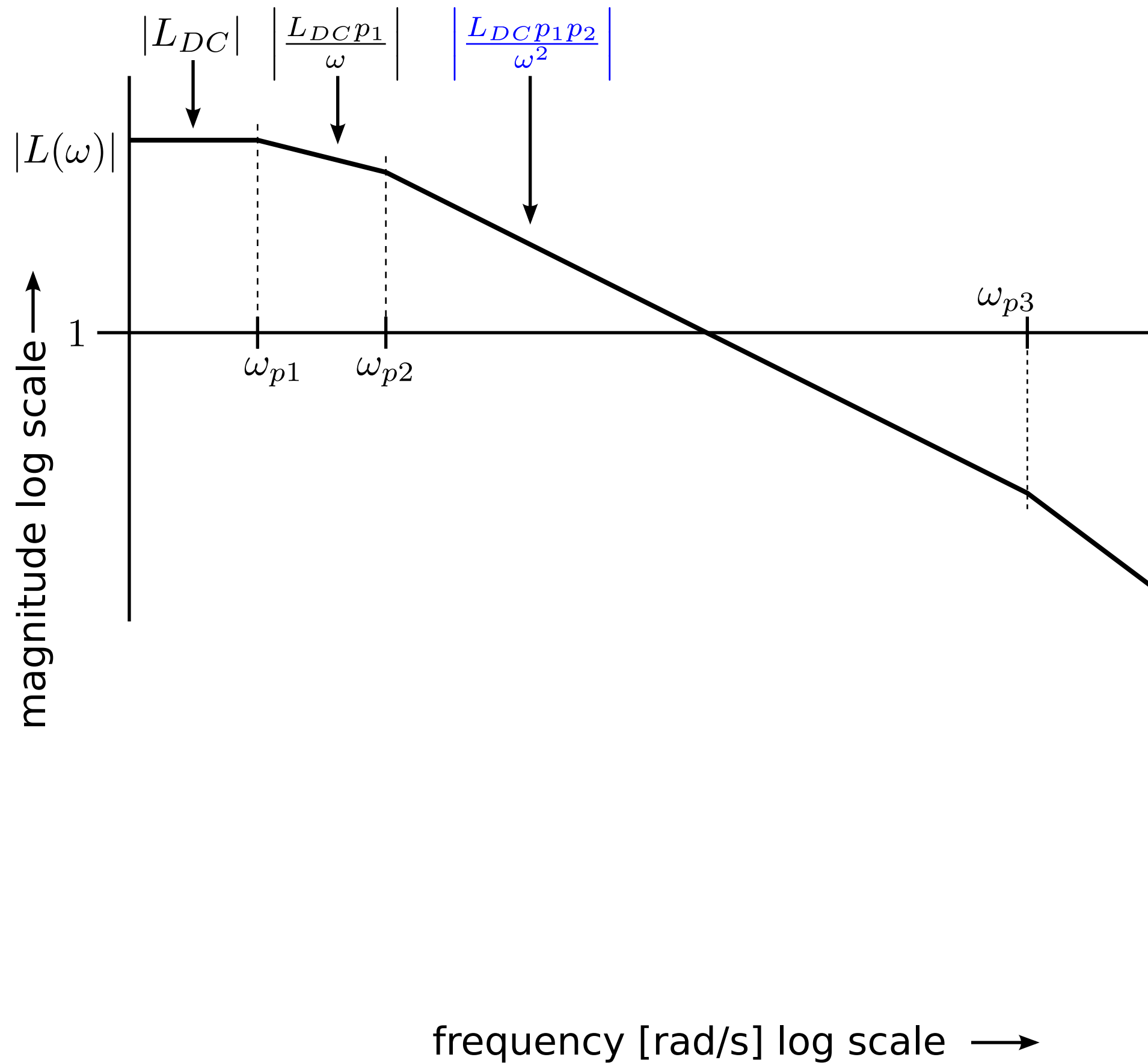
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$

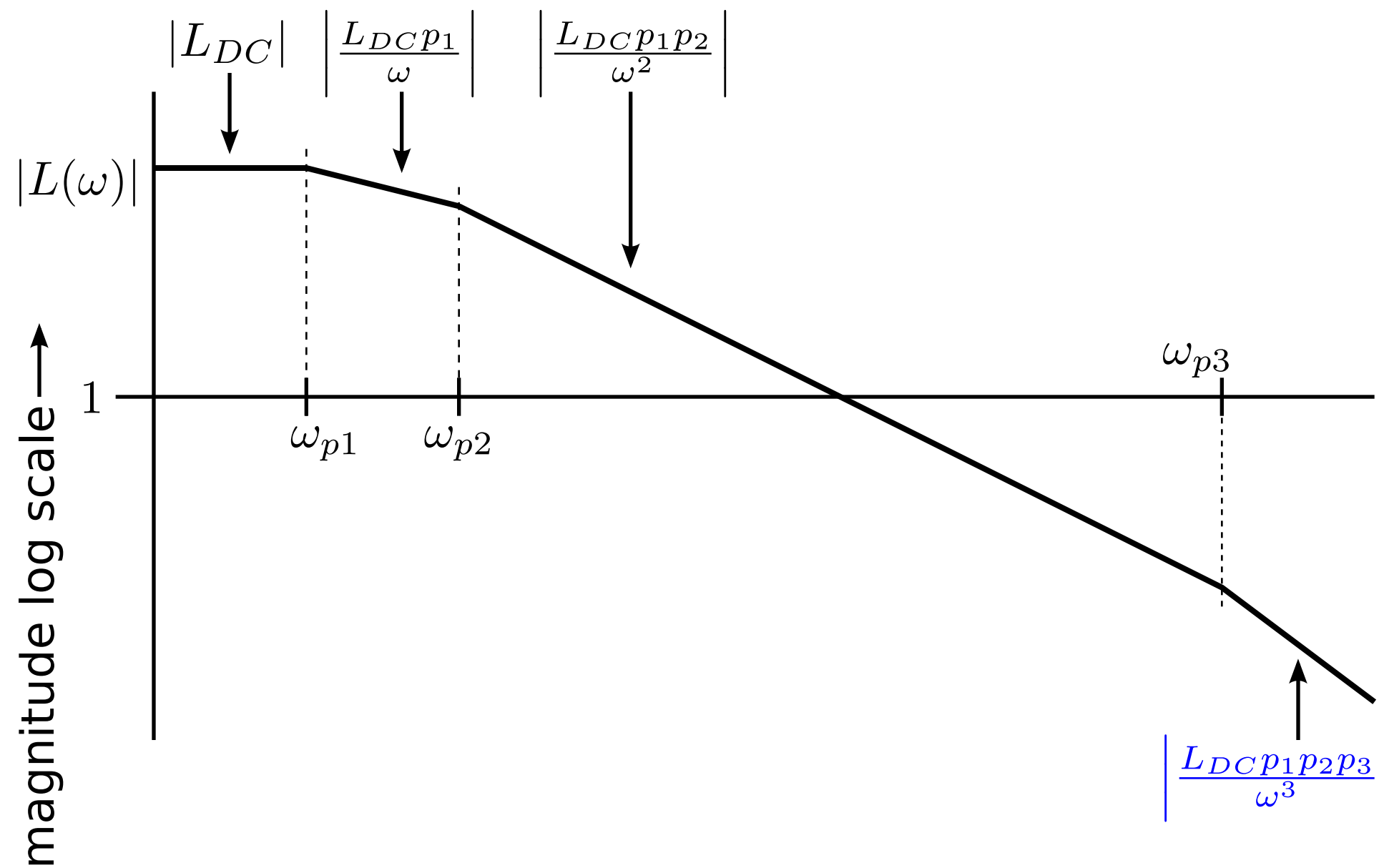
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$

# Dominant and non-dominant poles

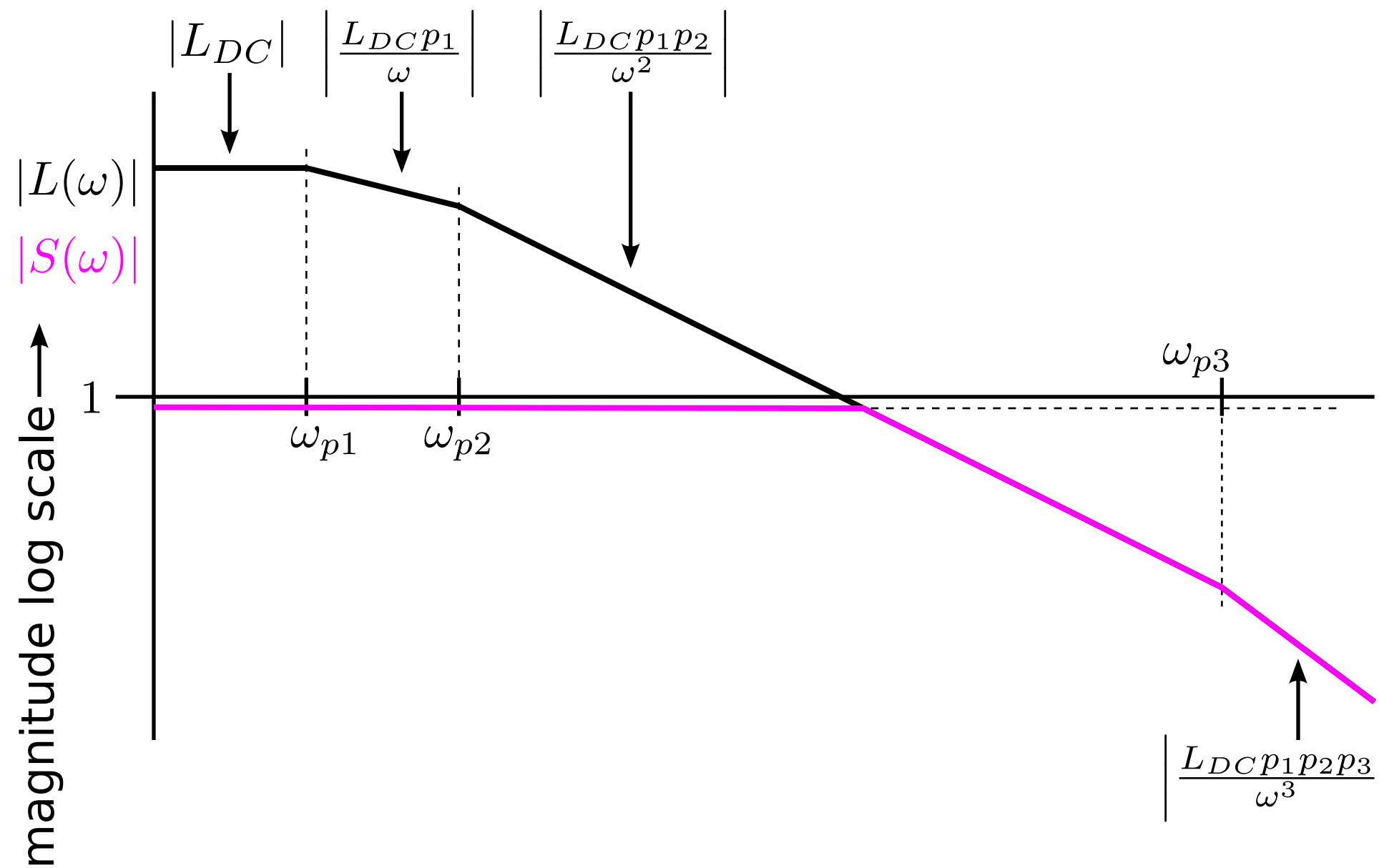


Magnitude plot with three separated negative real poles

—  $|L(\omega)|$

frequency [rad/s] log scale →

# Dominant and non-dominant poles

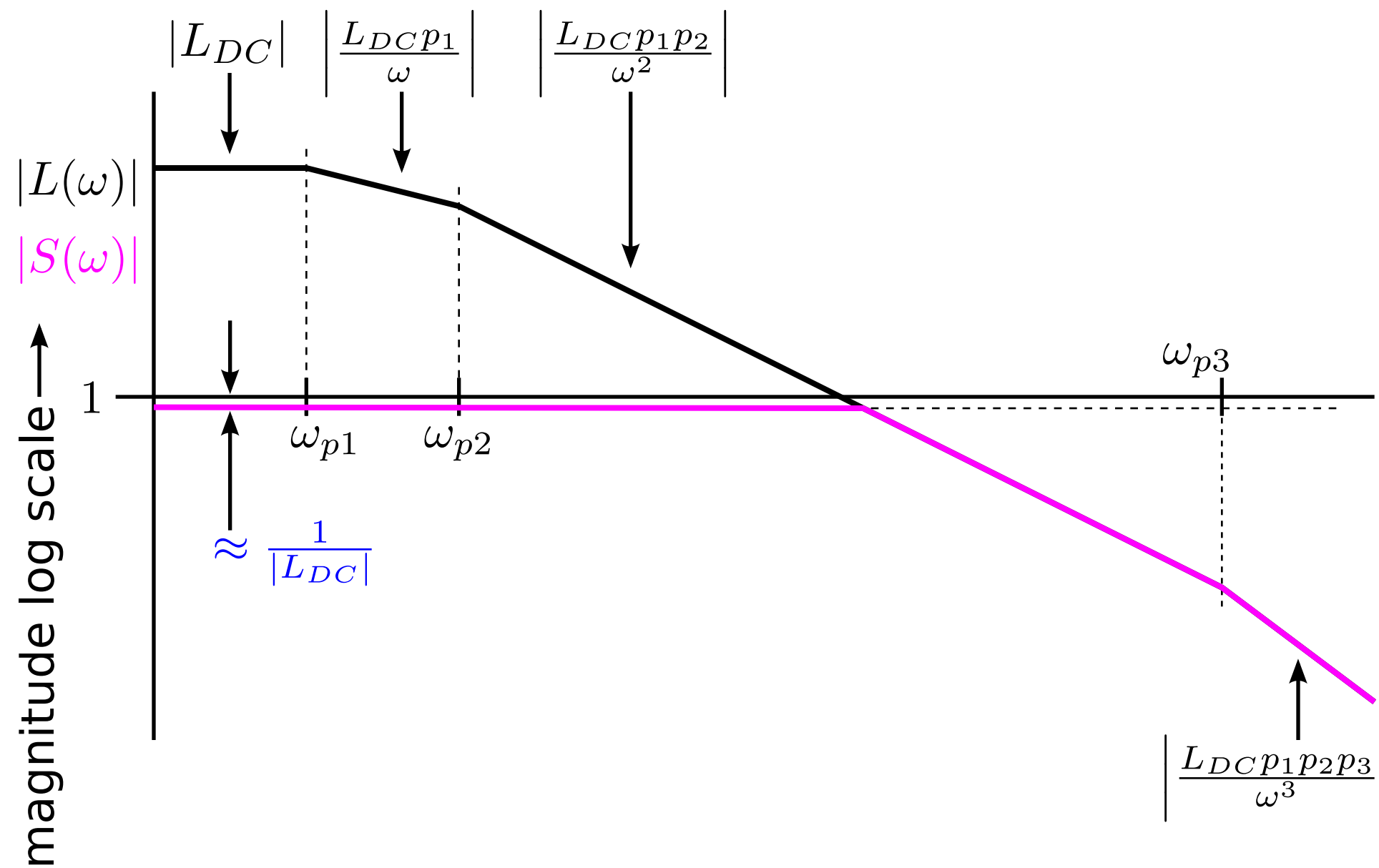


Magnitude plot with three separated negative real poles

—  $|L(\omega)|$   
—  $|S(\omega)|$

frequency [rad/s] log scale →

# Dominant and non-dominant poles



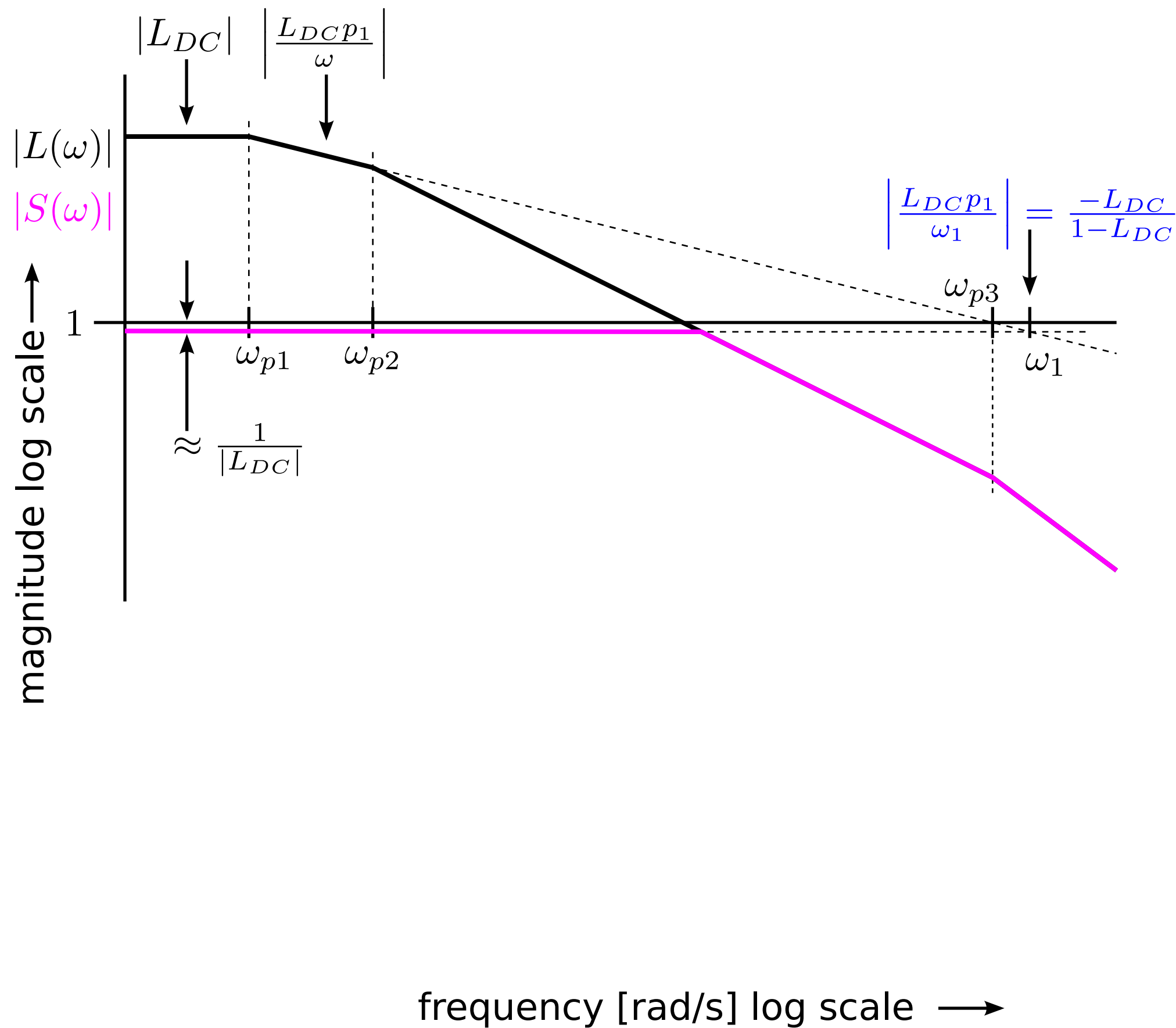
Magnitude plot with three separated negative real poles

$\text{—} |L(\omega)|$   
 $\text{—} |S(\omega)|$

frequency [rad/s] log scale  $\rightarrow$



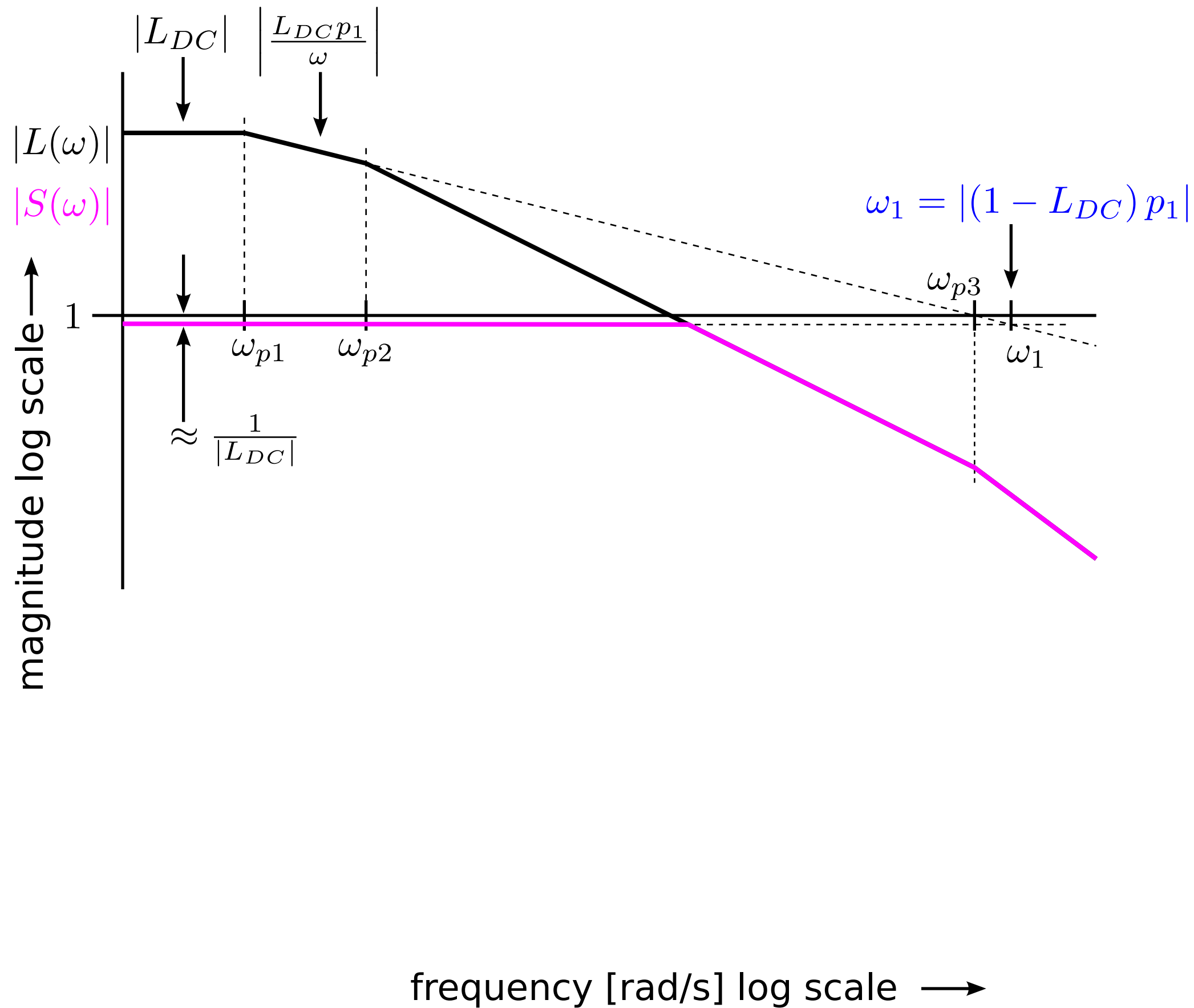
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

$|L(\omega)|$   
 $|S(\omega)|$

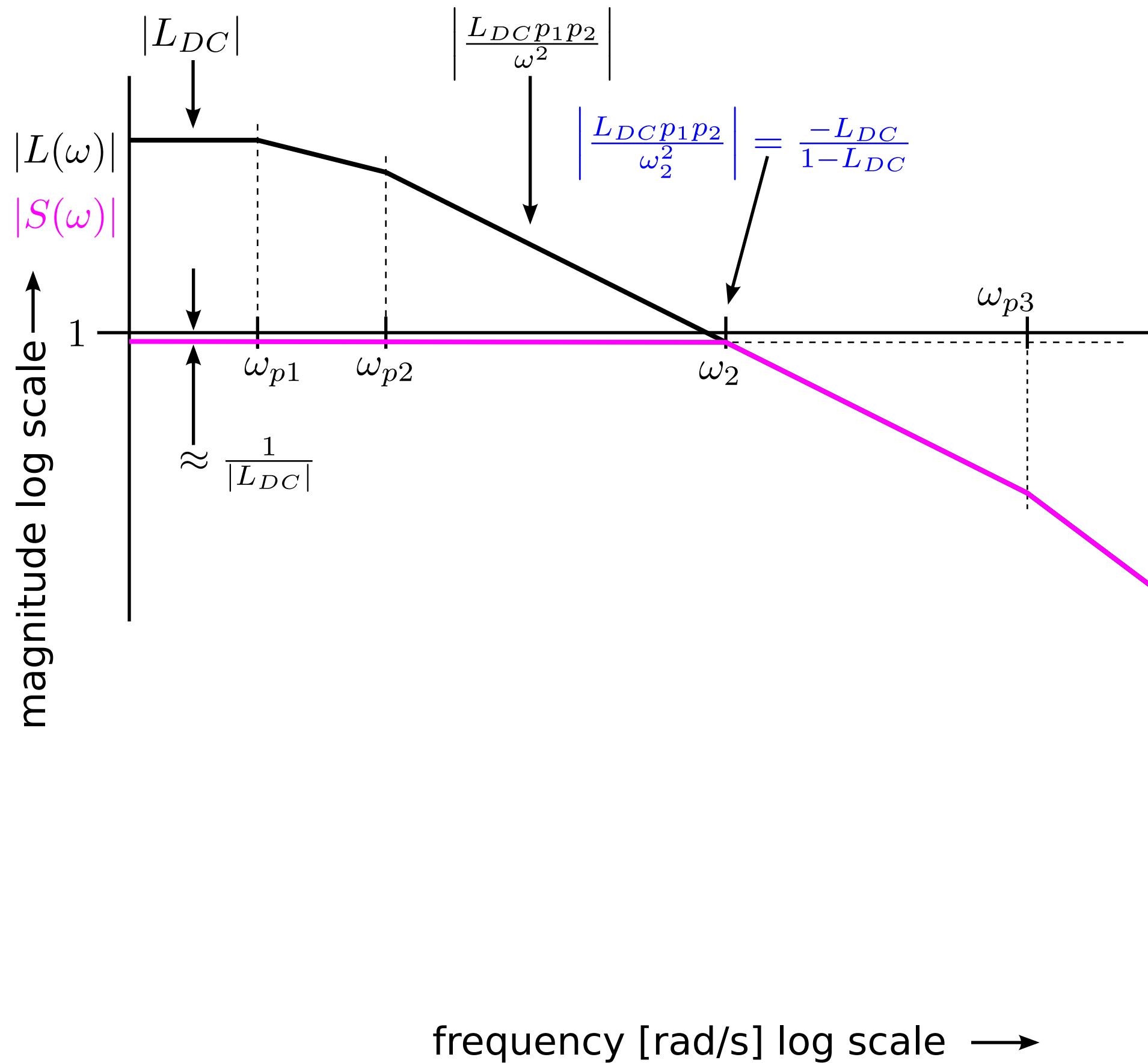
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$   
 —  $|S(\omega)|$

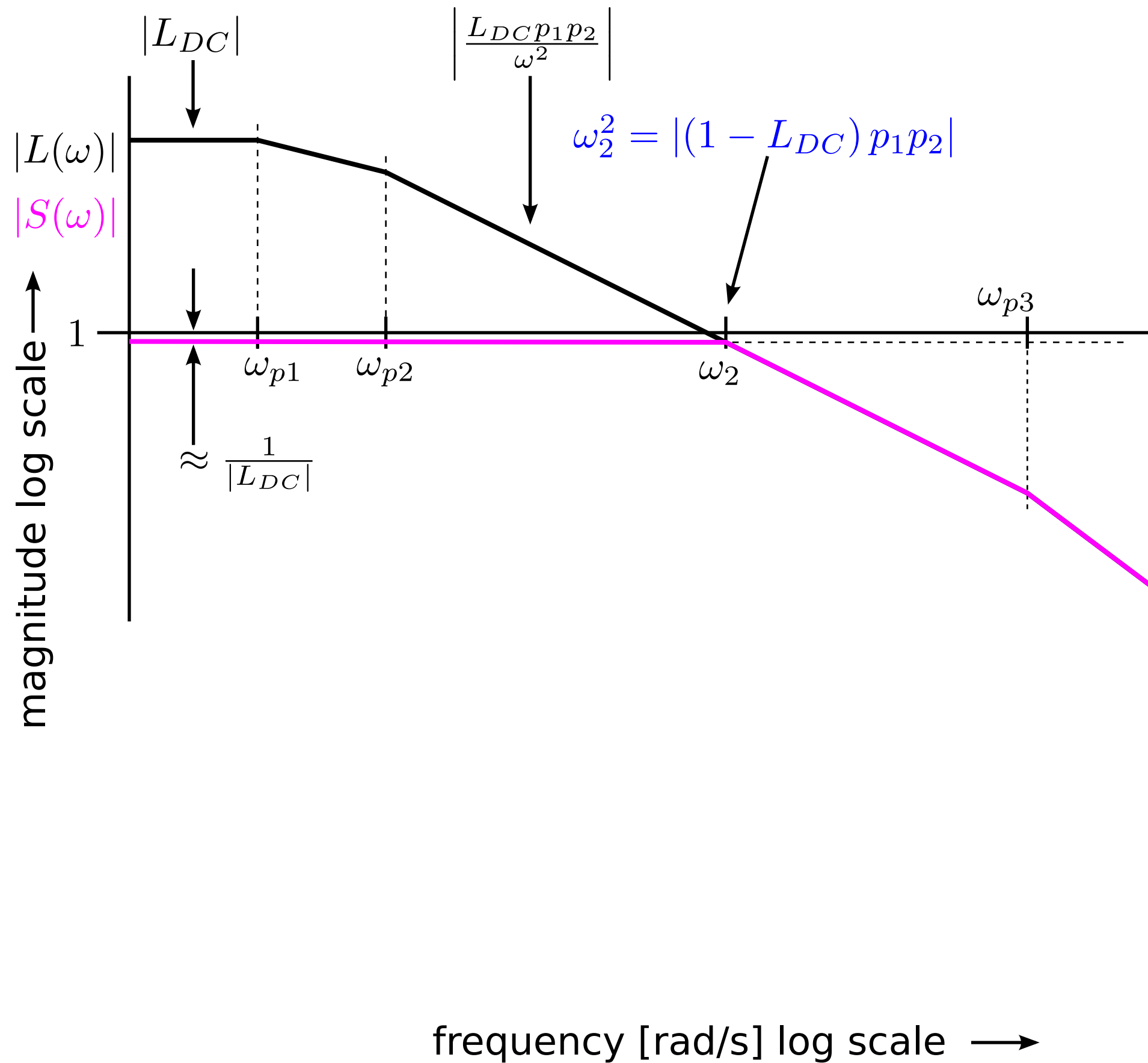
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$   
 —  $|S(\omega)|$

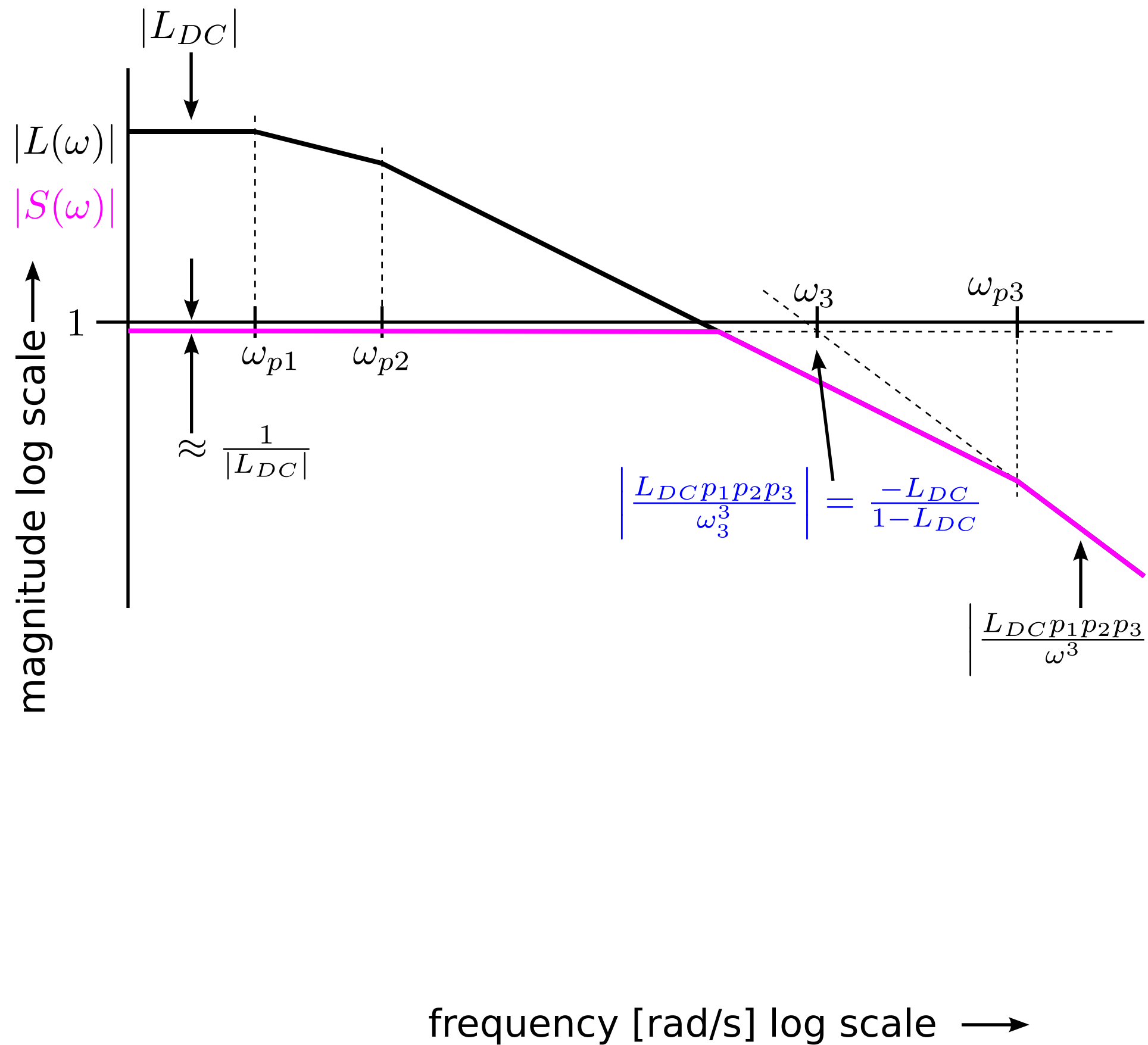
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$   
 —  $|S(\omega)|$

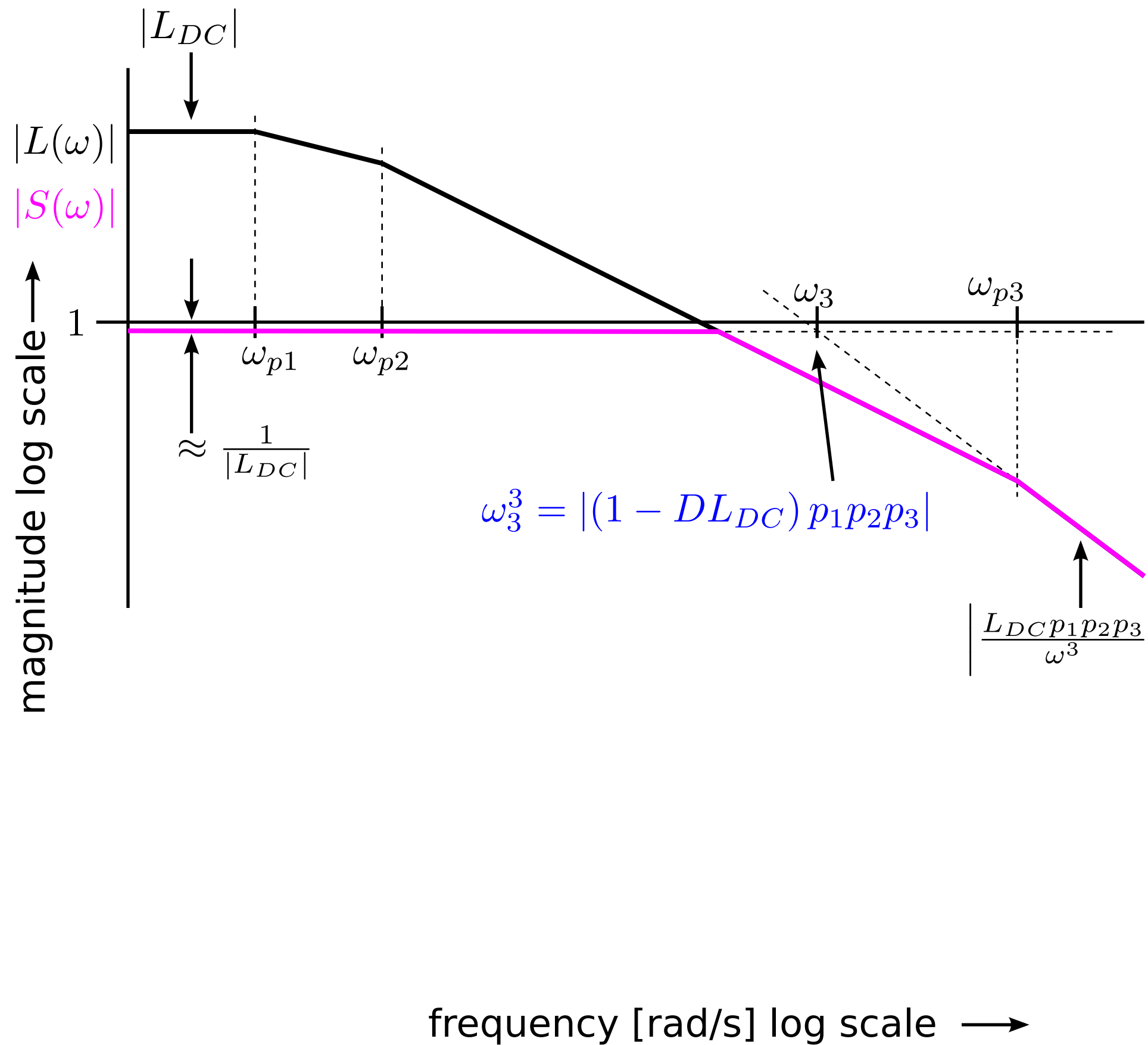
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$   
 —  $|S(\omega)|$

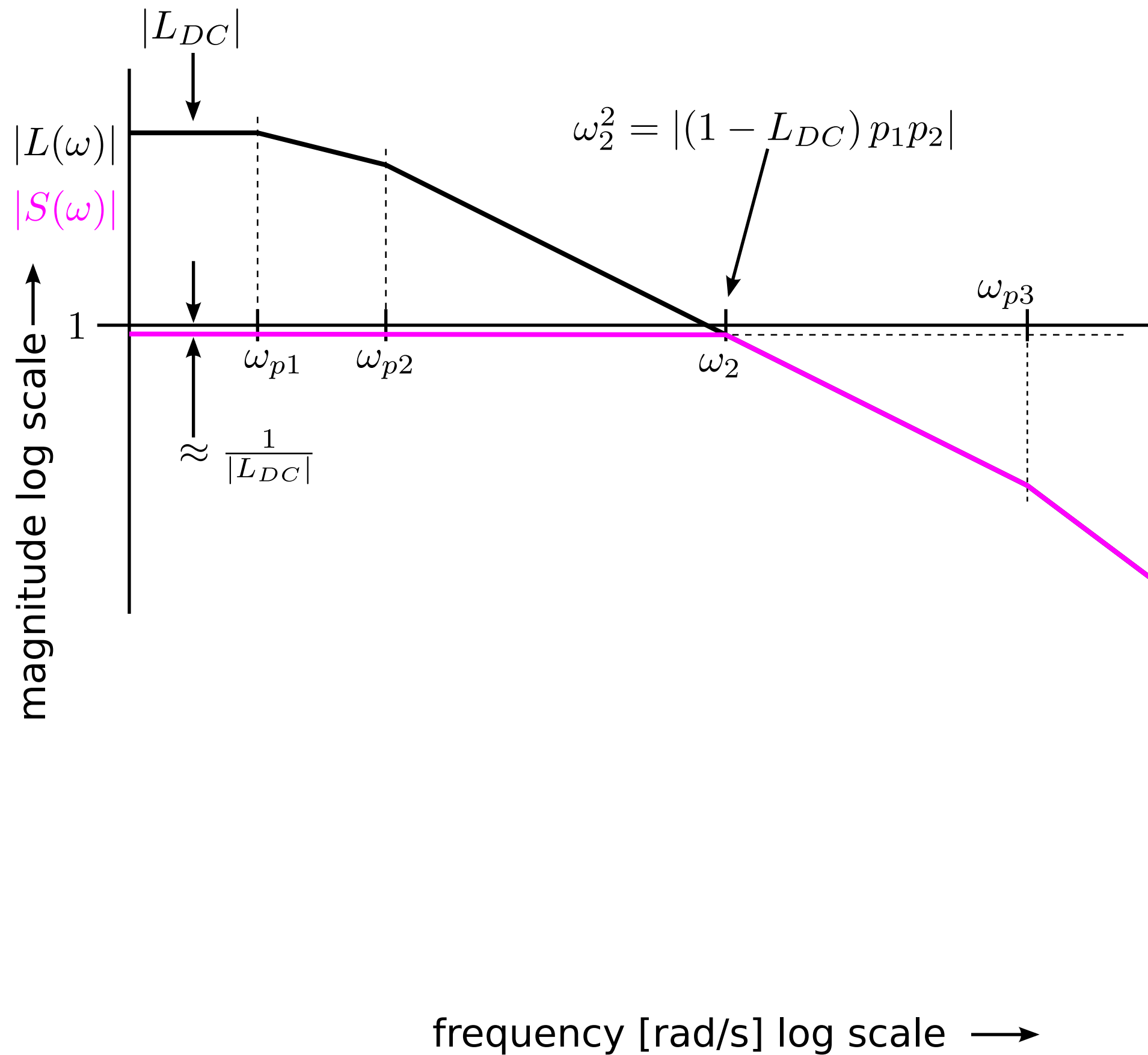
# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

—  $|L(\omega)|$   
 —  $|S(\omega)|$

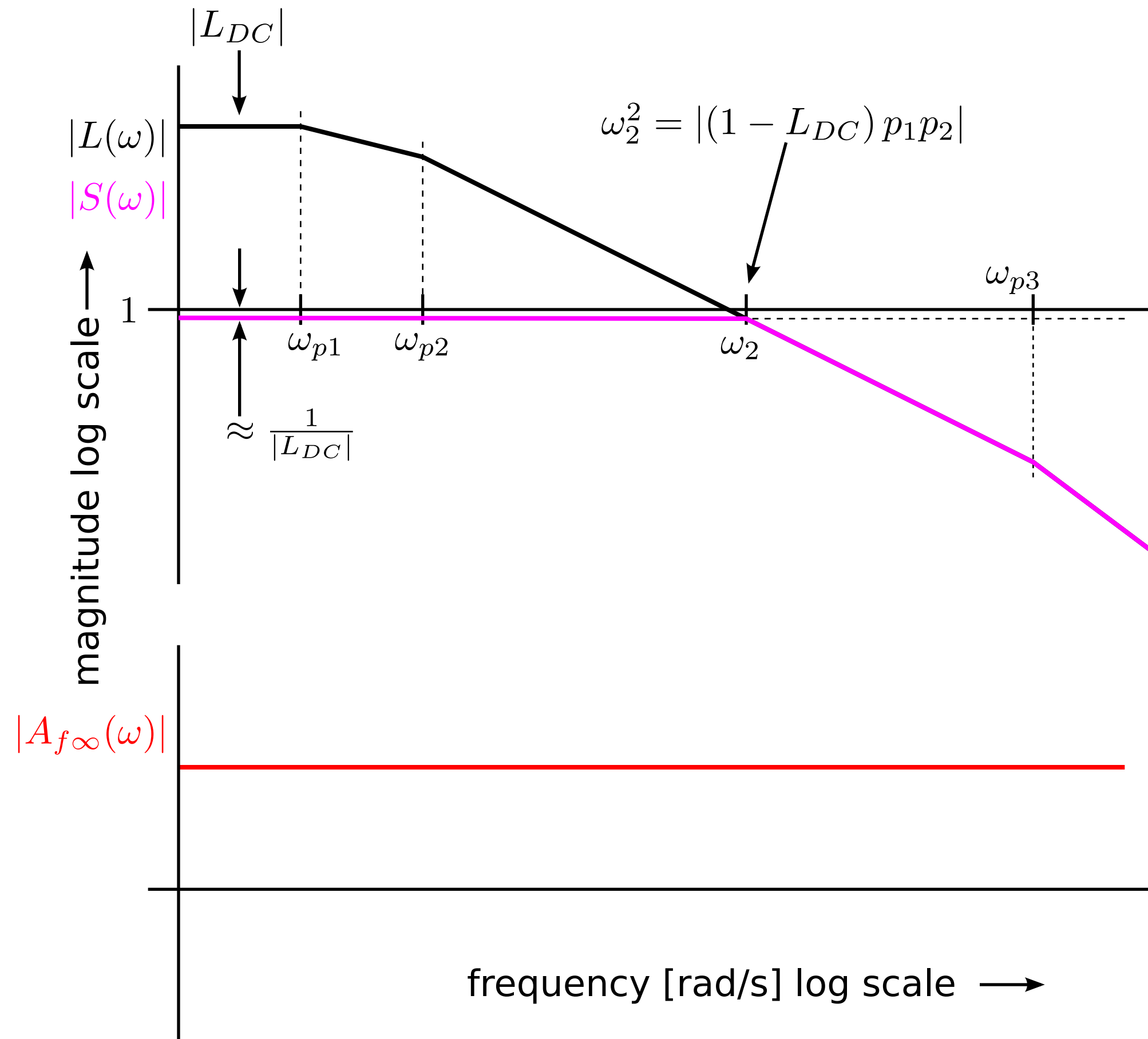
# Dominant and non-dominant poles



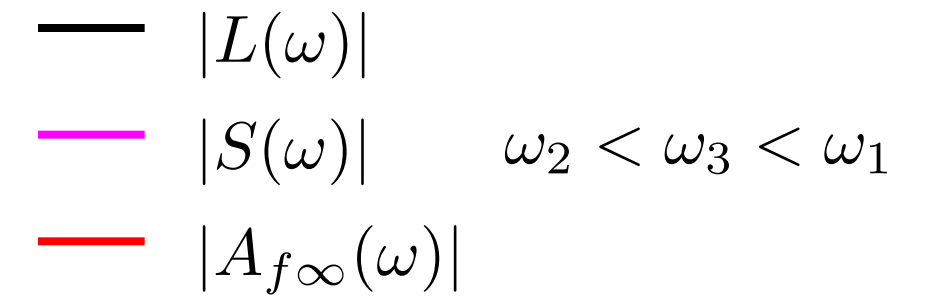
Magnitude plot with three separated negative real poles

—  $|L(\omega)|$   
 —  $|S(\omega)|$   $\omega_2 < \omega_3 < \omega_1$

# Dominant and non-dominant poles

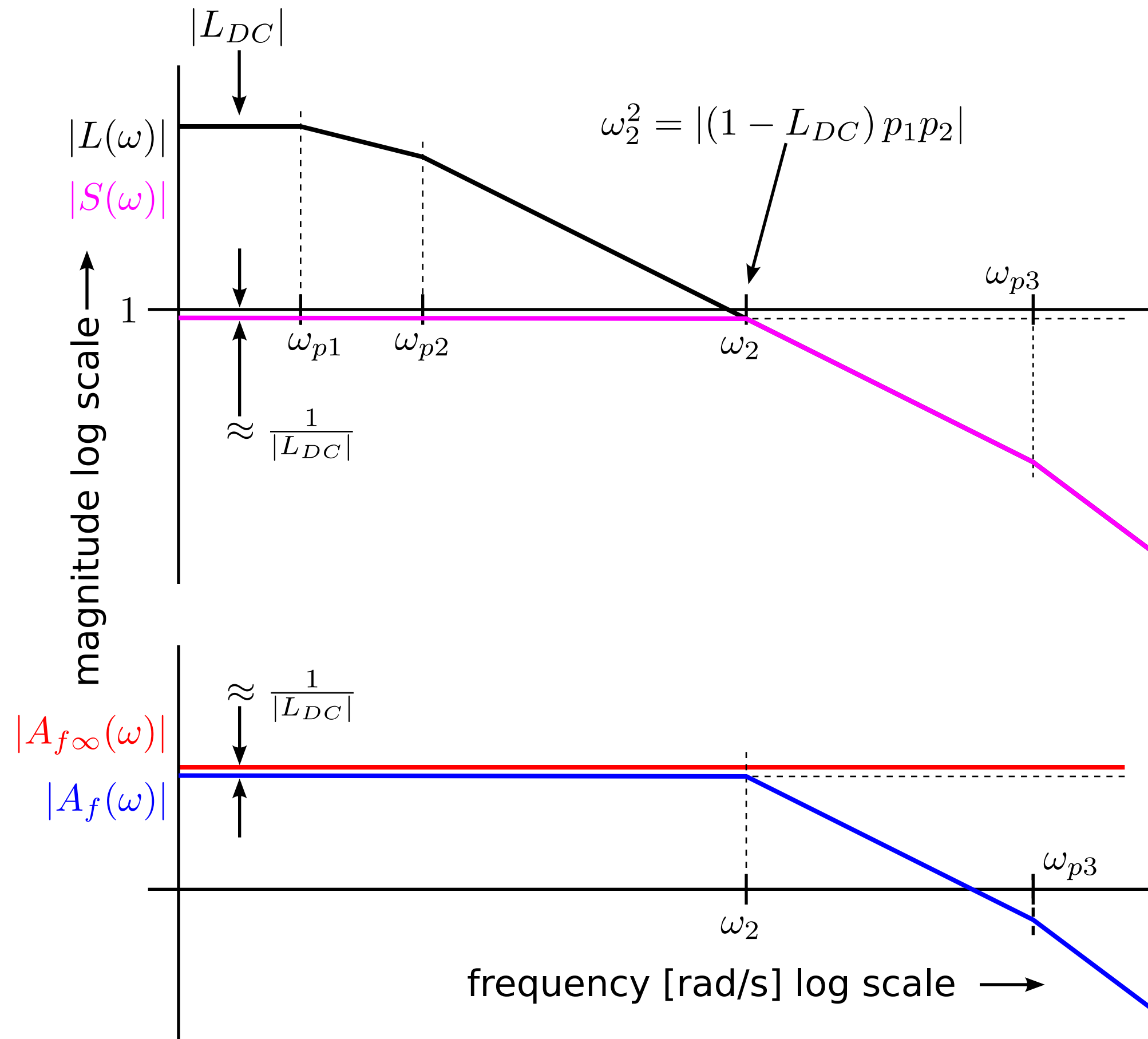


Magnitude plot with three separated negative real poles

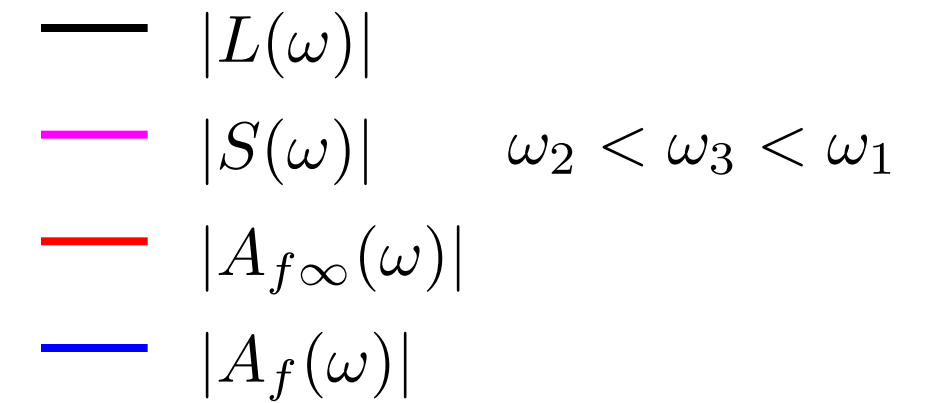




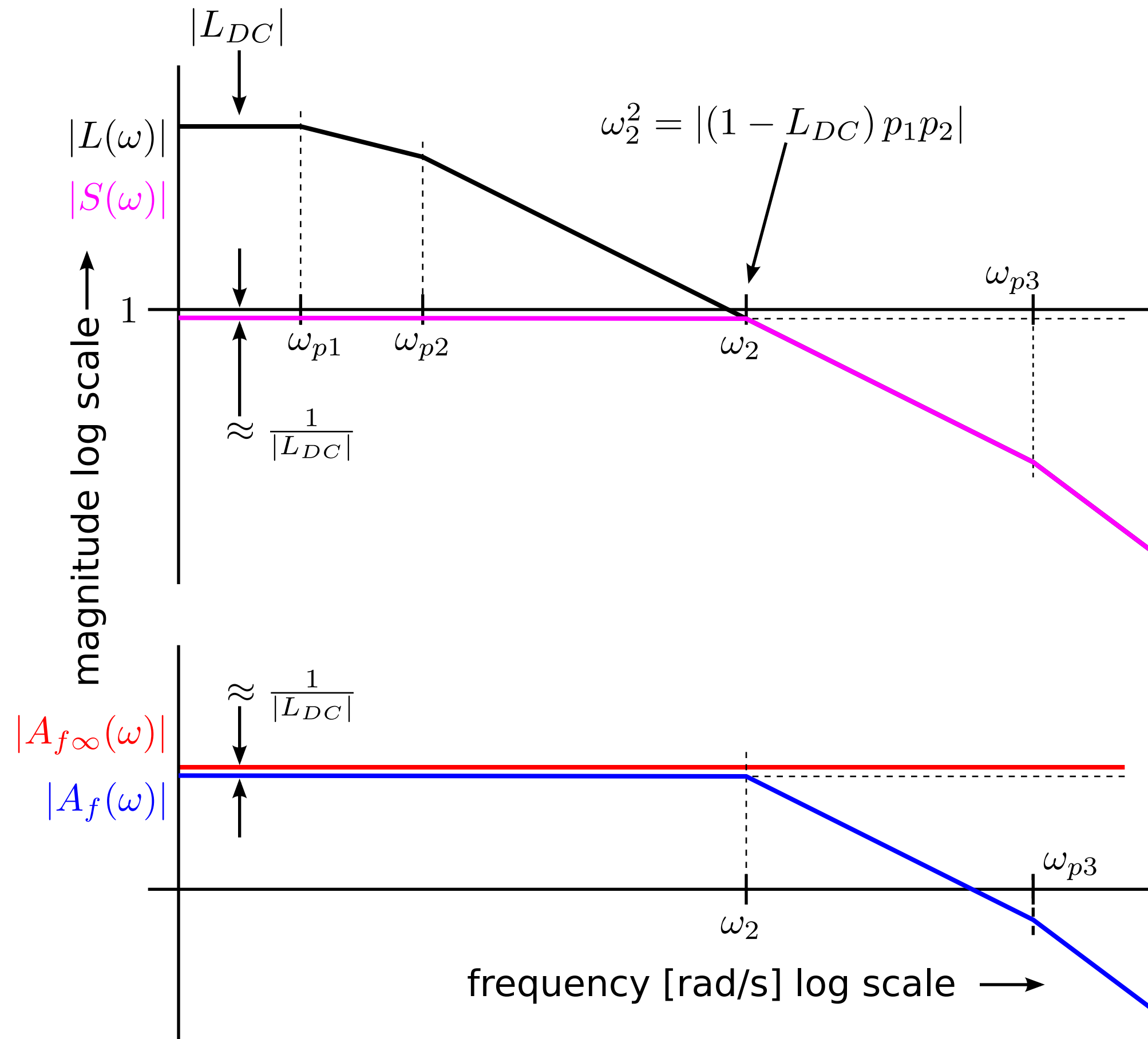
# Dominant and non-dominant poles



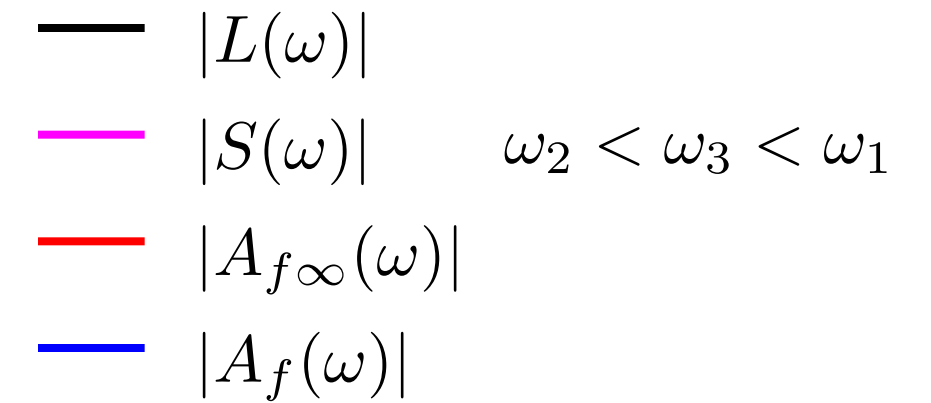
Magnitude plot with three separated negative real poles



# Dominant and non-dominant poles

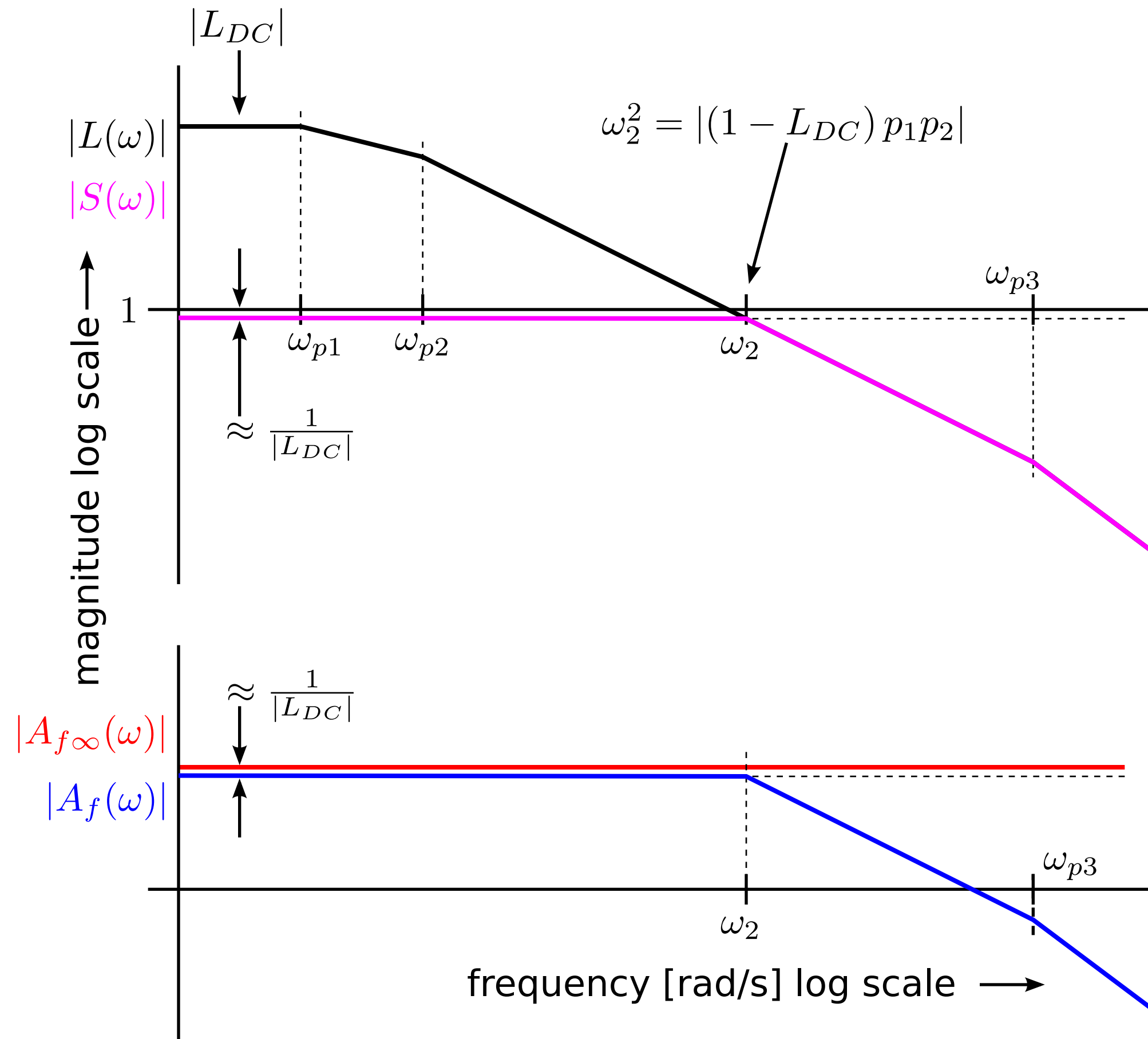


Magnitude plot with three separated negative real poles



Dominant poles:  
 $p_1, p_2$

# Dominant and non-dominant poles



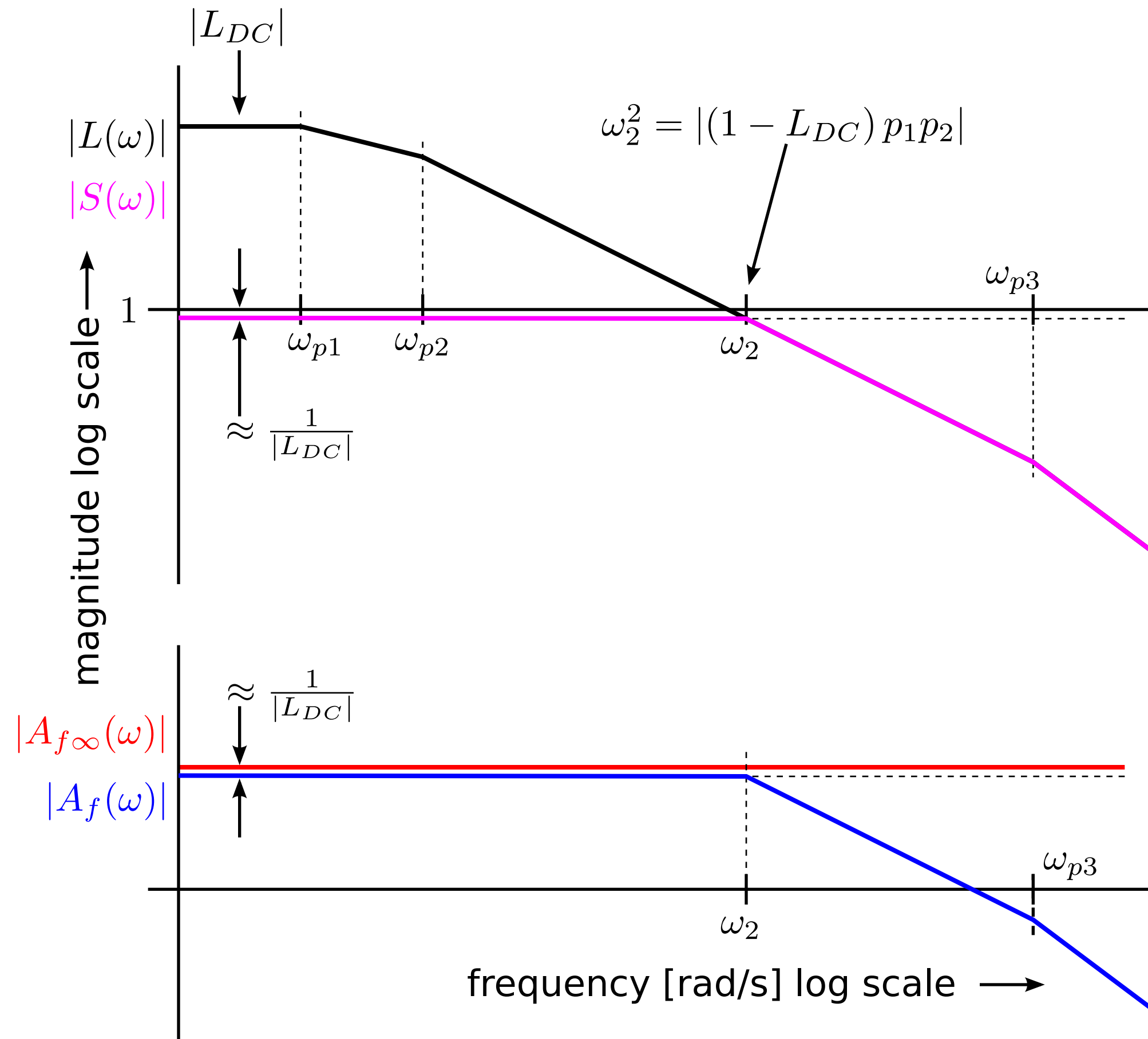
Magnitude plot with three separated negative real poles

$|L(\omega)|$   
 $|S(\omega)|$   $\omega_2 < \omega_3 < \omega_1$   
 $|A_{f\infty}(\omega)|$   
 $|A_f(\omega)|$

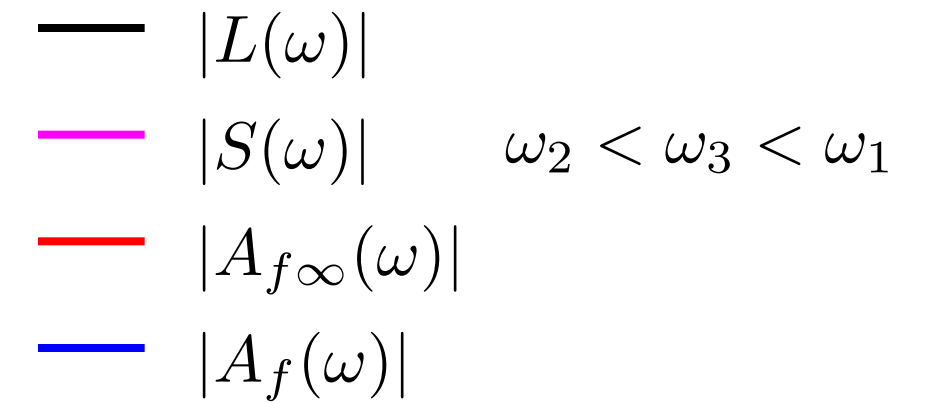
Dominant poles:  
 $p_1, p_2$

Non-dominant pole:  
 $p_3$

# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles

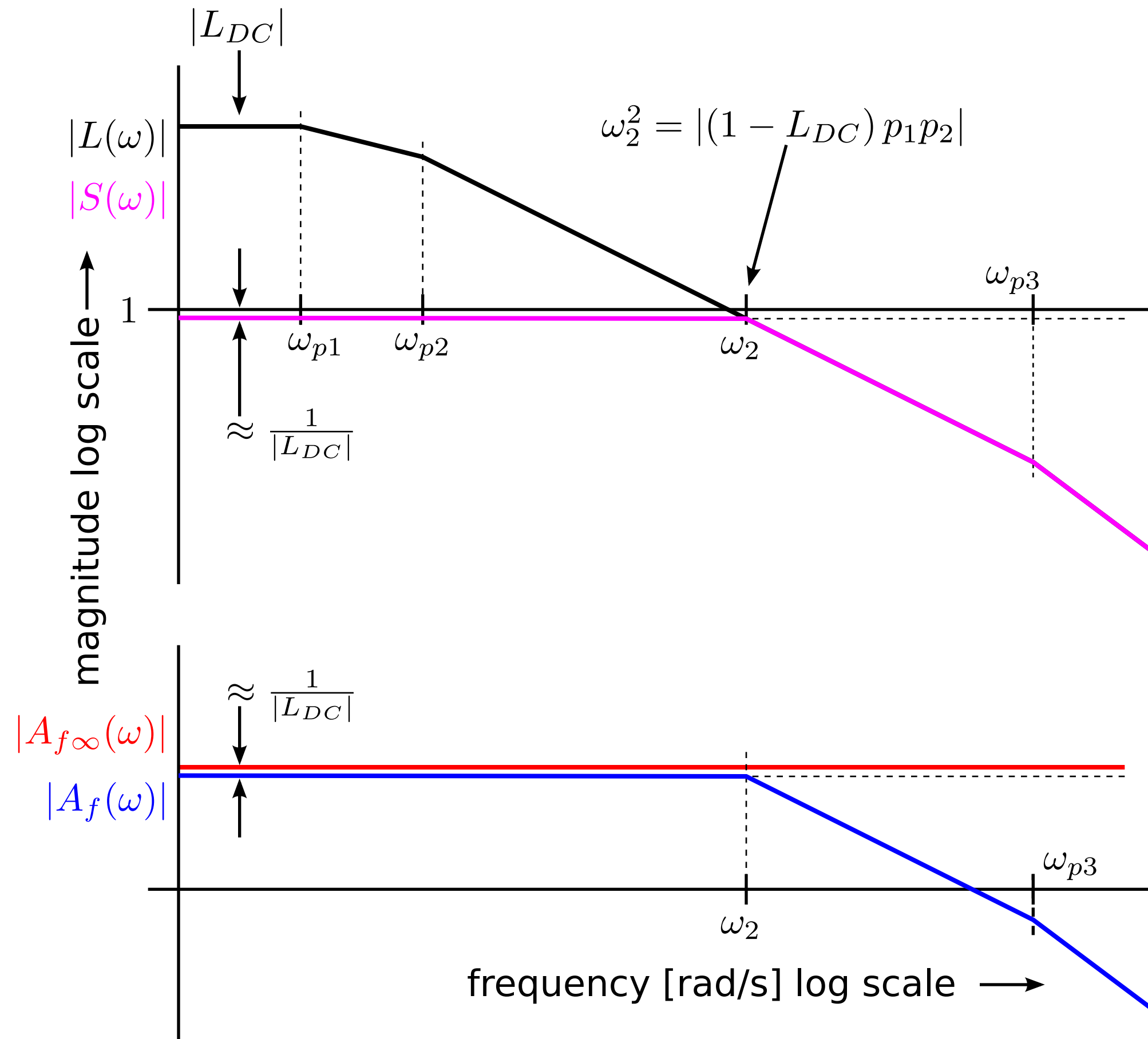


Dominant poles:  
 $p_1, p_2$

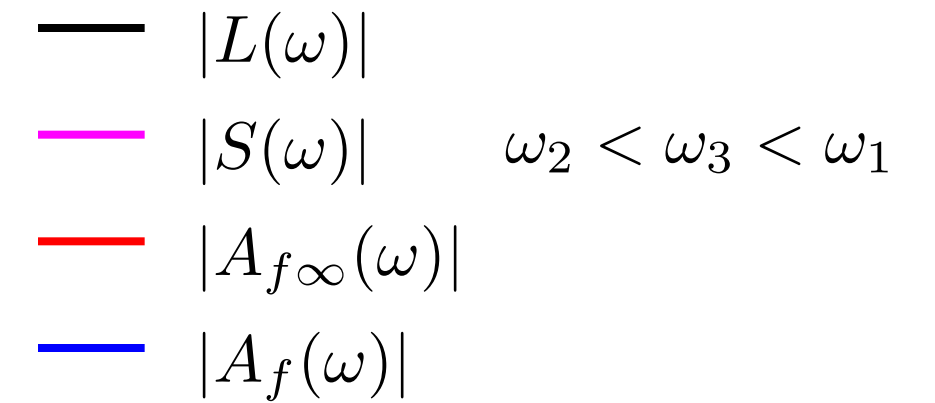
Non-dominant pole:  
 $p_3$

Pole non-dominant if magnitude of loop gain at pole frequency smaller than unity

# Dominant and non-dominant poles



Magnitude plot with three separated negative real poles



Dominant poles:  
 $p_1, p_2$

Non-dominant pole:  
 $p_3$

Pole non-dominant if magnitude of loop gain at pole frequency smaller than unity

# Procedure for determination of the dominant poles

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$



# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$

2. Calculate the -3dB low-pass cut-off frequency for increasing order:

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$

2. Calculate the -3dB low-pass cut-off frequency for increasing order:

$$\omega_1 = |(1 - L_{DC}) p_1|$$

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$

2. Calculate the -3dB low-pass cut-off frequency for increasing order:

$$\omega_1 = |(1 - L_{DC}) p_1|,$$

$$\omega_2 = \sqrt{|(1 - L_{DC}) p_1 p_2|}$$

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$

2. Calculate the -3dB low-pass cut-off frequency for increasing order:

$$\omega_1 = |(1 - L_{DC}) p_1|,$$

$$\omega_2 = \sqrt{|(1 - L_{DC}) p_1 p_2|},$$

$$\omega_3 = \sqrt[3]{|(1 - L_{DC}) p_1 p_2 p_3|}$$

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$

2. Calculate the -3dB low-pass cut-off frequency for increasing order:

$$\omega_1 = |(1 - L_{DC}) p_1|,$$

$$\omega_2 = \sqrt{|(1 - L_{DC}) p_1 p_2|},$$

$$\omega_3 = \sqrt[3]{|(1 - L_{DC}) p_1 p_2 p_3|}.$$

3. Stop this procedure if cut-off frequency increases

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$

2. Calculate the -3dB low-pass cut-off frequency for increasing order:

$$\omega_1 = |(1 - L_{DC}) p_1|,$$

$$\omega_2 = \sqrt{|(1 - L_{DC}) p_1 p_2|},$$

$$\omega_3 = \sqrt[3]{|(1 - L_{DC}) p_1 p_2 p_3|}.$$

3. Stop this procedure if cut-off frequency increases
4. The order  $n$  is the number for which this cut-off frequency has the smallest value

# Procedure for determination of the dominant poles

1. Rank the poles of the loop gain in ascending order:

$$|p_1| < |p_2| < |p_3|$$

2. Calculate the -3dB low-pass cut-off frequency for increasing order:

$$\omega_1 = |(1 - L_{DC}) p_1|,$$

$$\omega_2 = \sqrt{|(1 - L_{DC}) p_1 p_2|},$$

$$\omega_3 = \sqrt[3]{|(1 - L_{DC}) p_1 p_2 p_3|}.$$

3. Stop this procedure if cut-off frequency increases
4. The order  $n$  is the number for which this cut-off frequency has the smallest value